

# SWEN430 - Compiler Engineering

## Lecture 18 - Machine Code IV

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# Compiler Optimisation

*“In computing, an **optimizing compiler** is a compiler that tries to minimize or maximize some attributes of an executable computer program. ”*

*–Wikipedia*

```
pushq %rbp
movq %rsp, %rbp
movl %edi, -4(%rbp)
movl %esi, -8(%rbp)
movl -4(%rbp), %edx
movl -8(%rbp), %eax
addl %edx, %eax
popq %rbp
ret
```

(before)

```
leal (%rdi,%rsi), %eax
ret
```

(after)

# Peephole Optimisation

**“Peephole optimization** *is an optimization technique performed on a small set of compiler-generated instructions; the small set is known as the **peephole** or window”* –Wikipedia

```
...  
pushq %rax  
popq  %rax  
...
```

```
...  
movq %eax, %eax  
...
```

```
...  
    jmp lab  
lab:  
...
```

- Identify **patterns** in peephole, ignoring other instructions
- Typically only for relatively **simple** optimisations

# Constant Folding & Propagation

*“Constant folding is the process of recognizing and evaluating constant expressions at **compile time** rather than computing them at runtime”*  
–Wikipedia

```
...  
movl $1, %eax  
movl $2, %ebx  
addl %ebx, %eax  
...
```

(before)

```
...  
movl $3, %eax  
...
```

(after)

*“Constant **propagation** is the process of substituting the values of known constants in expressions at compile time”*  
–Wikipedia

# Common Subexpression Elimination

**“common subexpression elimination (CSE) is a compiler optimization that searches for instances of identical expressions (i.e., they all evaluate to the same value)”** –Wikipedia

```
...  
movl -4(%rbp), %eax  
movl -8(%rbp), %ebx  
addl %ebx, %eax  
movl -4(%rbp), %ecx  
movl -8(%rbp), %edx  
addl %edx, %ecx  
addl %ecx, %eax  
...
```

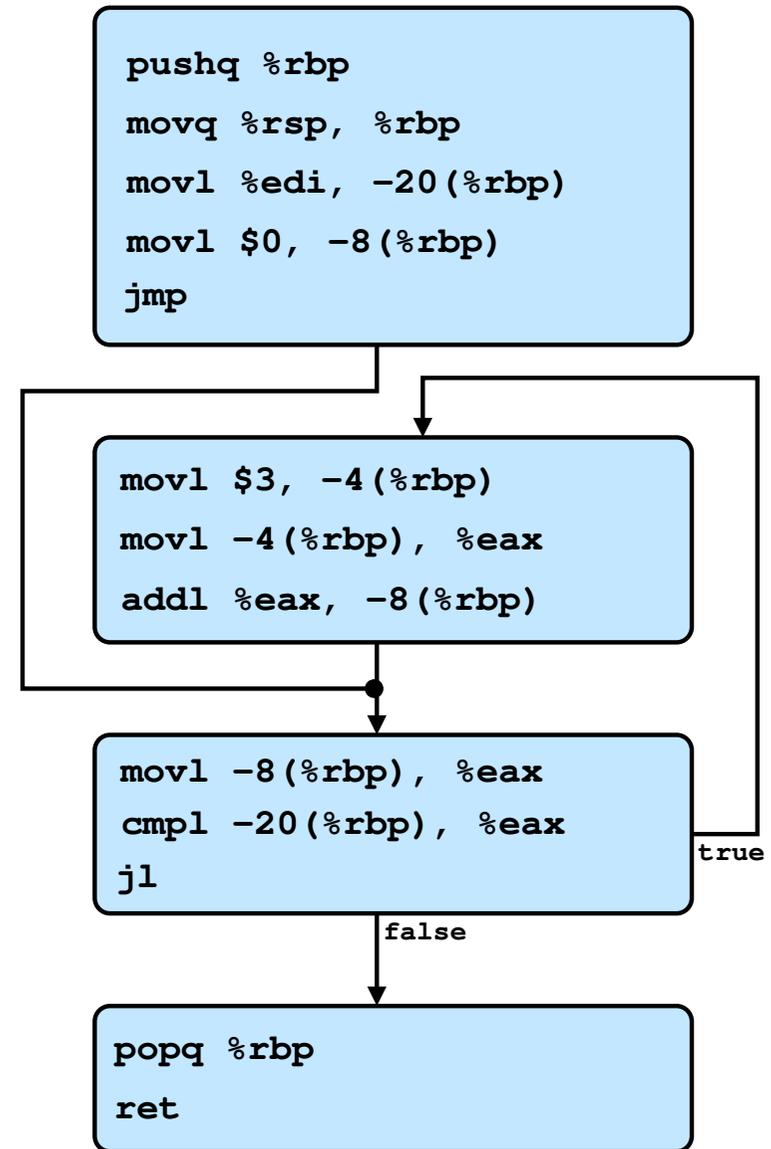
(before)

```
...  
movl -4(%rbp), %eax  
movl -8(%rbp), %ebx  
addl %ebx, %eax  
addl %eax, %eax  
...
```

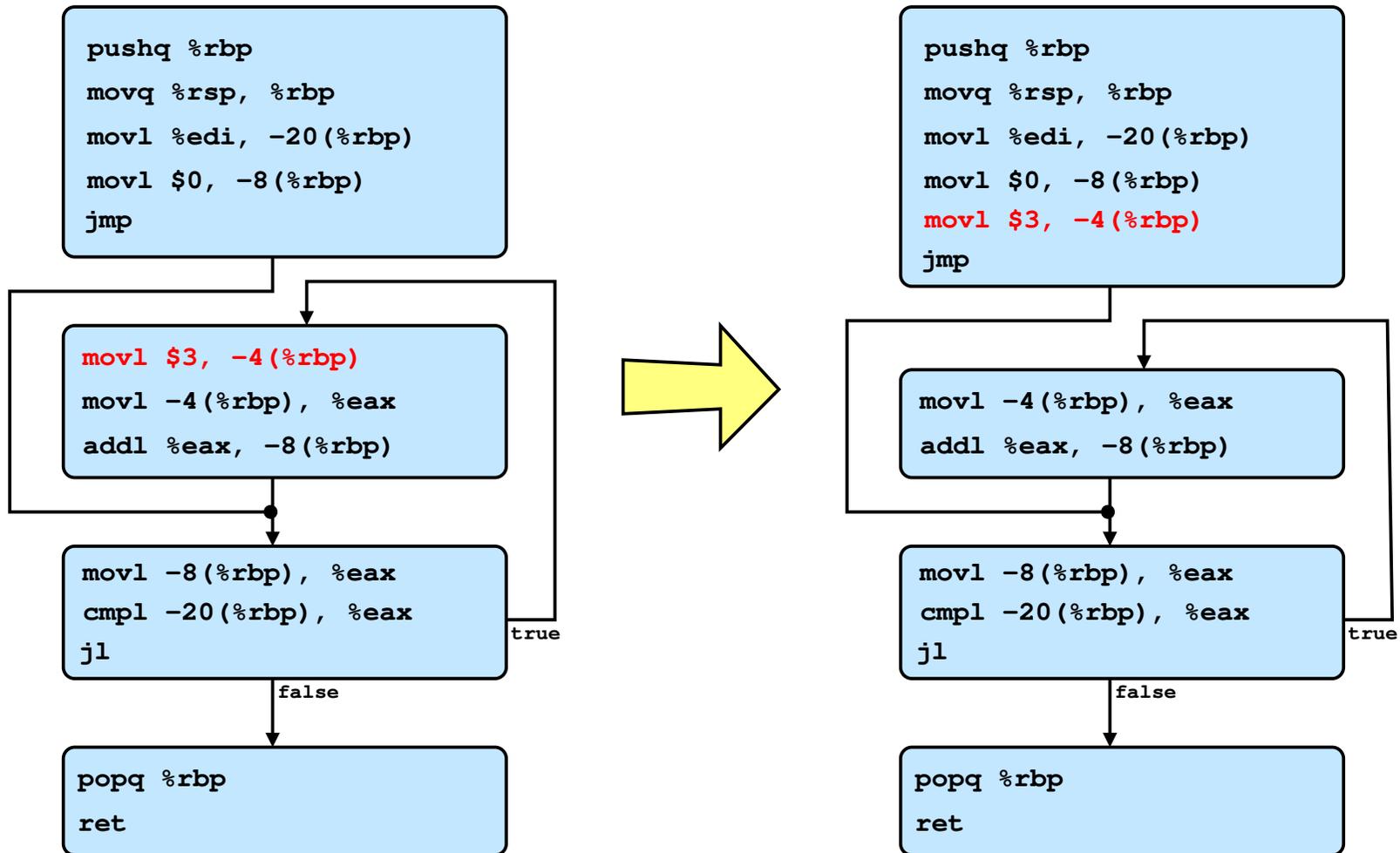
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# Loop Optimisation

- Loops **execute** many iterations!
- Small changes have **big** effects
- e.g. loop invariant code **motion** ...  
... moves code **out** of loops
- e.g. loop **unrolling** for loops ...  
... with **fixed** number of iterations

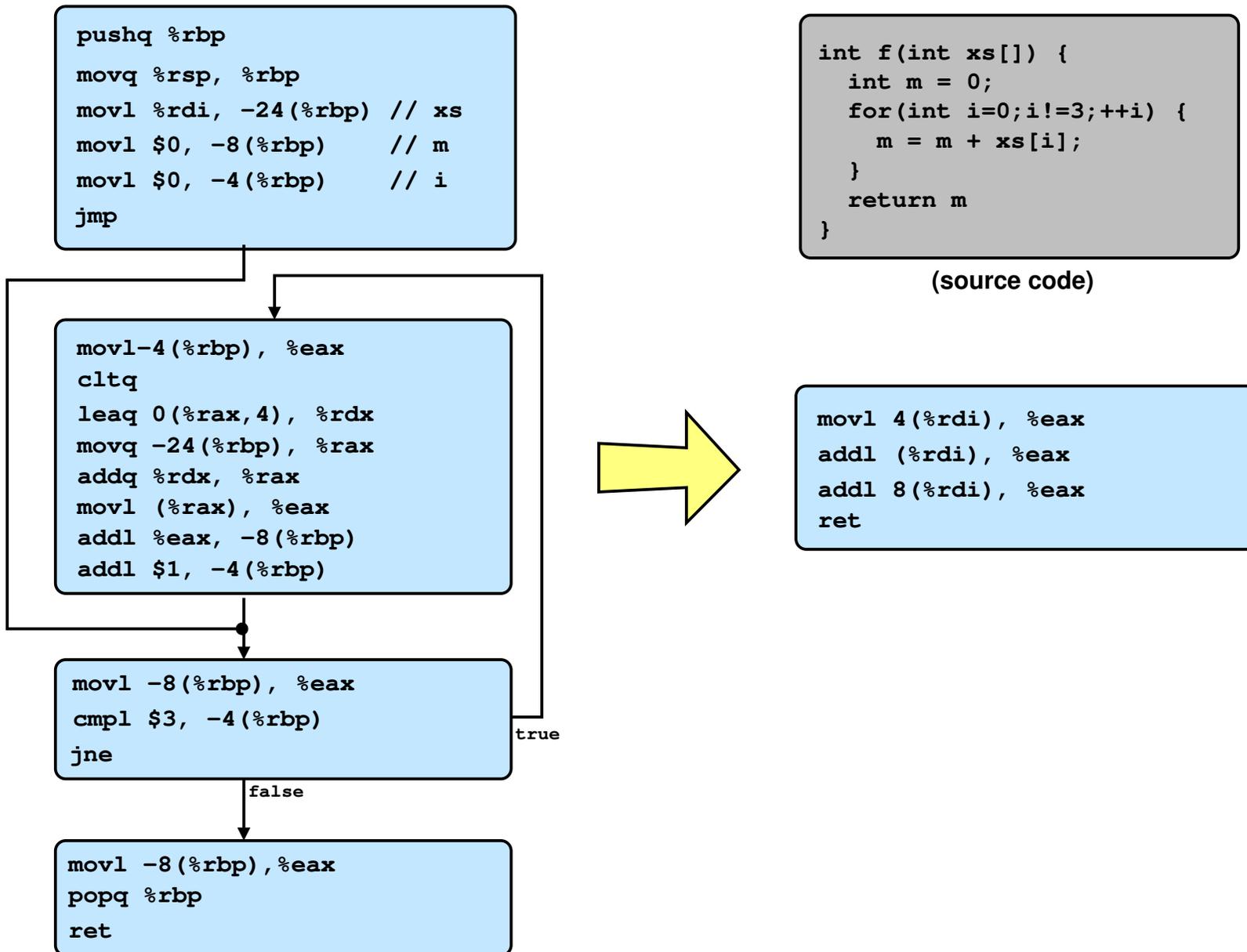


# Loop Invariant Code Motion



- Could apply **lots** of peephole optimisations here as well!

# Loop Unrolling



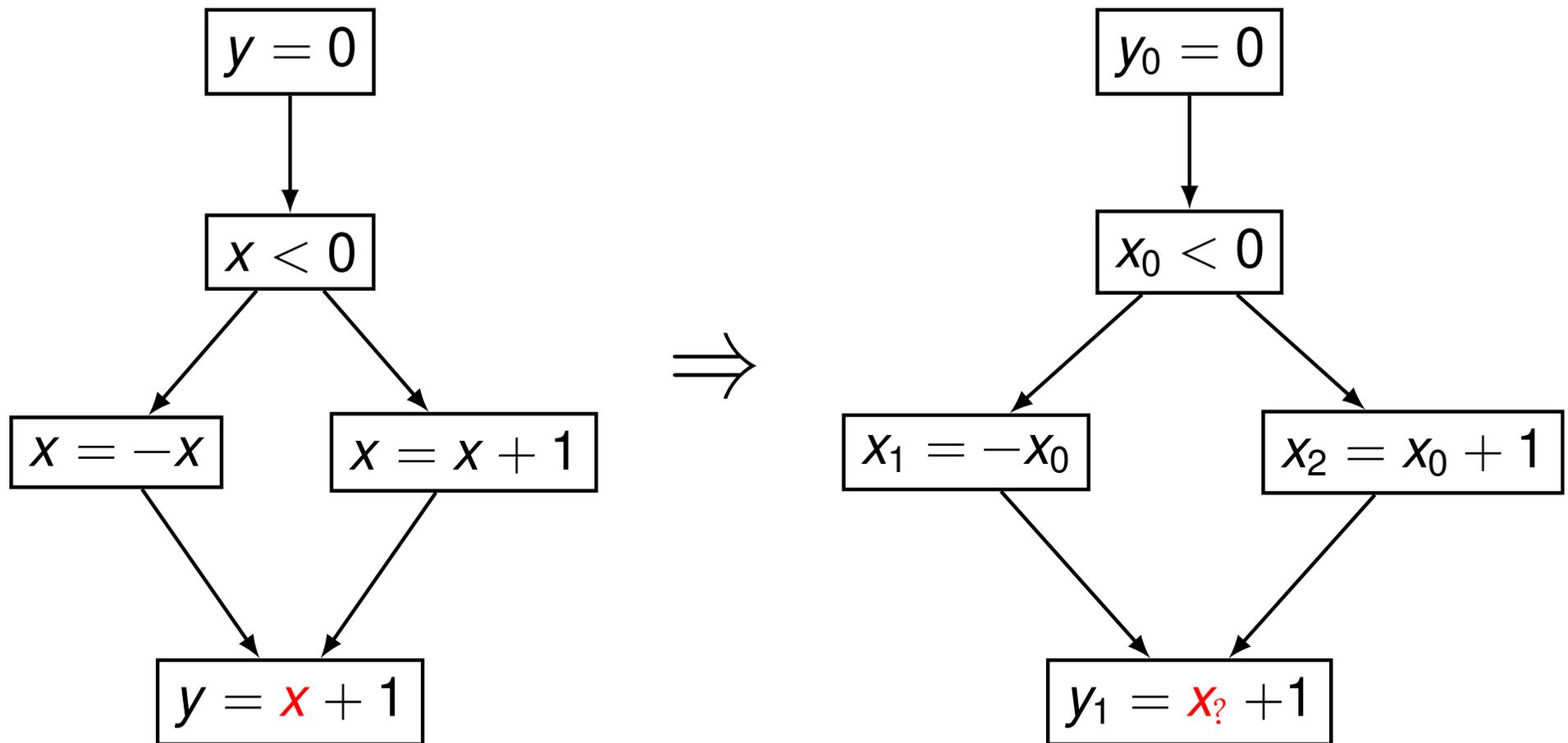
# Static Single Assignment (SSA)

- Common intermediate representation  
E.g. *shimple* in soot and *tree-ssa* in GCC.
- **Idea:** adjust program so each variable has at most one definition  
A variable  $X$  becomes  $X_n$ , where  $n$  increases with each definition:

$$\begin{array}{l} x = 0 \\ y = x \\ x = x + 1 \end{array} \quad \Rightarrow \quad \begin{array}{l} x_0 = 0 \\ y_0 = x_0 \\ x_1 = x_0 + 1 \end{array}$$

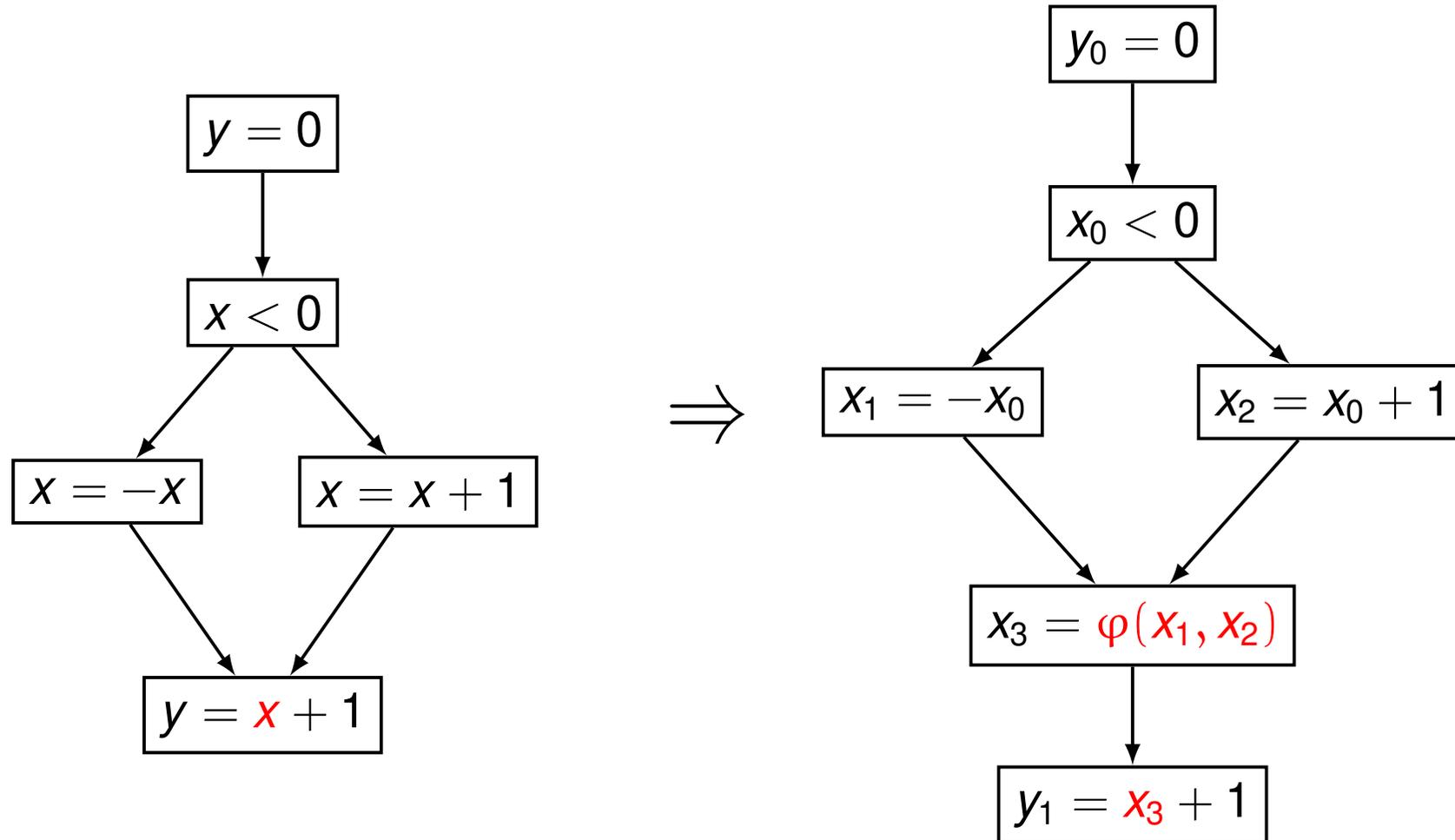
- This helps program analyses in many ways
  - Simplifies many analyses (e.g. constant propagation)
  - Reduces storage requirements

# Another Example



But, what subscript do we give  $x$ ?

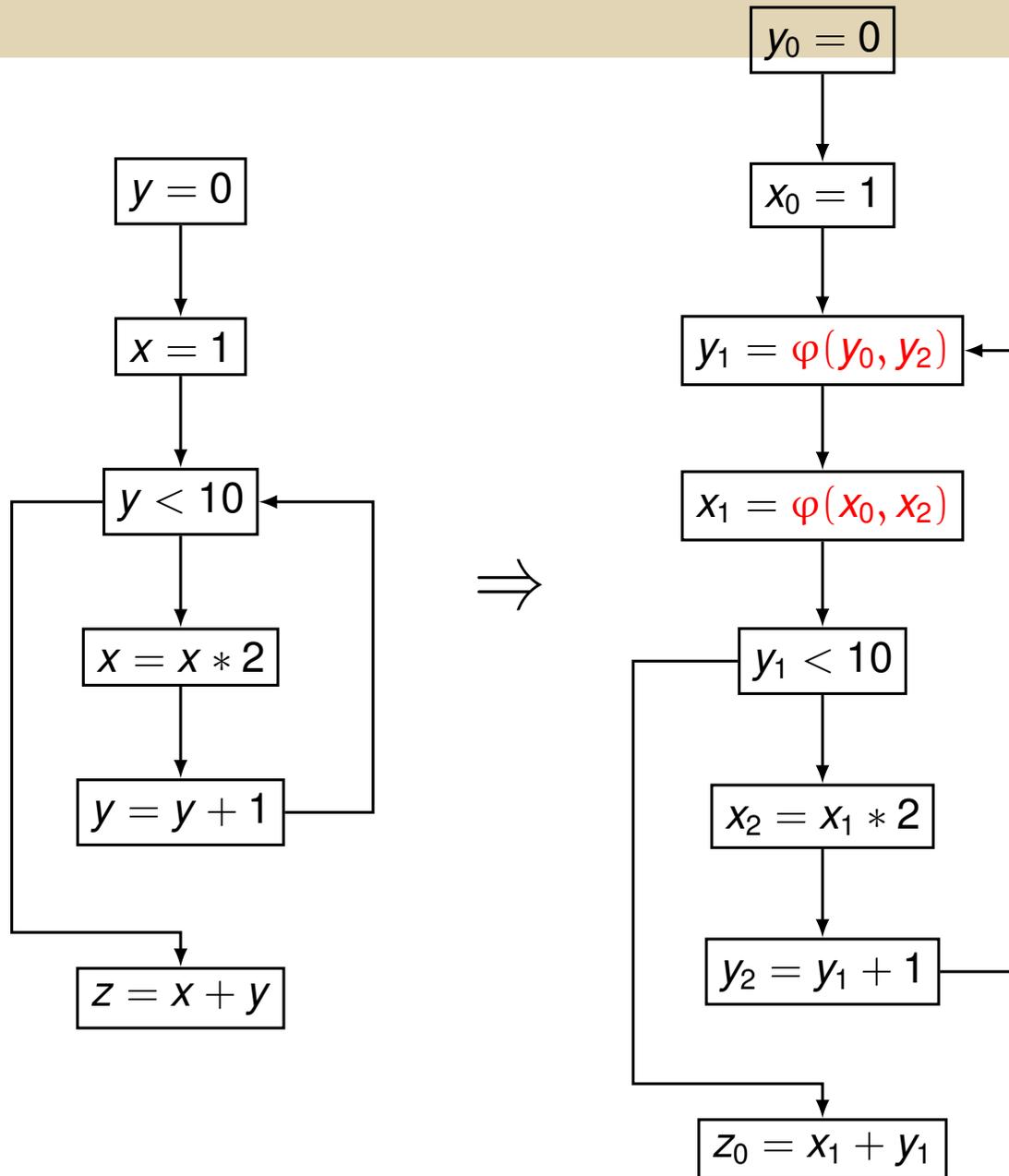
## Another Example (continued)



But, what subscript do we give  $x$ ?

SSA introduces special  $\varphi$ -nodes which merge values together

# Loop Example



# SSA Form and Dependence

Another interesting observation: SSA form encodes *dependence information*.

## Definition (Dependence)

If statement  $S$  uses variable  $x$ , then  $S$  *depends* upon all statements which define  $x$  and where the value defined reaches  $S$ .

E.g.

$S1 :$	$x = 0$
$S2 :$	$y = x + 1$
$S3 :$	$x = 3$
$S4 :$	$y = 123$
$S5 :$	$z = x + y$

Here  $S2$  depends upon  $S1$  and  $S5$  depends upon  $S4$  and  $S3$

- But,  $S5$  does **not** depend on  $S1$
- Since that definition of  $x$  does not *reach*  $S5$

# SSA Form and Dependence

Another interesting observation: SSA version of previous example:

$$x_0 = 0$$

$$y_0 = x_0 + 1$$

$$x_1 = 3$$

$$y_1 = 123$$

$$z_0 = x_1 + y_1$$

Here, we can see the dependencies immediately

- $y_0$  depends upon  $x_0$
- $z_0$  depends upon  $x_1$  and  $y_1$

# Problems with SSA – Arrays

Consider translating the following program to SSA:

```
int foobar(int x){
    int A[10];
    A[0] = 1;
    A[0] = 2;
    A[1] = 3;
    A[x] = 4;
    return A[0];
}

⇒

int foobar(int x){
    int A[10]
    A[0]0 = 1
    A[0]1 = 2
    A[1]0 = 3
    A[x]? = 4
    return A[0]?
}
```

What subscript should we use for definition of  $A[x]$ ?

- It depends on the value of  $x$ !!
- To know this requires evaluating `foobar(...)`
  - This is likely to be expensive and maybe impossible if its parameters are parameters to the program itself

# Problems with SSA — Pointers

Pointers are another problem for SSA

```
int foobar(int x){  
    int a,b,*p  
    if ( f(...) > 0) { $p_0 = \&a$ }  
    else {  $p_1 = \&b$  }  
     $p_2 = \varphi(p_0, p_1)$   
     $a_0 = 0$   
     $b_0 = 3$   
     $*p_2 = 1$   
    return  $a_? + b_?$   
}
```

Again, variable actually defined depends upon evaluation of f(...).  
Why is this not a problem in java?

# Additional Readings on SSA

- **Efficiently computing static single assignment form and the control dependence graph.** R. Cytron, J. Ferrante, B.K. Rosen and M. N. Wegman. In Transactions on Programming Languages and Systems (TOPLAS), 1991.
- **Extended SSA Numbering: introducing SSA properties to languages with multi-level pointers.** C. Lapkowski and Laurie J. Hendren. In Proceedings of the Conference of the Centre for Advanced Studies on Collaborative Research, 1996.
- **Array SSA form and its use in parallelization,** Kathleen Knobe and Vivek Sarkar. In Proceedings of the Symposium on the Principles of Programming Languages (POPL), 1998.